Appendix A: Formulae and definitions of terms used by the JIP-test for the analysis of Chl *a* fluorescence transient OJIP (from Strasser *et al.* 2004; Tsimilli-Michael and Strasser 2013).

F _t	Fluorescence at time t after onset of actinic
't	illumination
F _{20µs}	minimal reliable recorded fluorescence, at 20 µs with
· 20µ5	the Handy-PEA-fluorimeter
F _{50µs}	Fluorescence at 50 µs
F _{300µs}	Fluorescence at 300 µs
F _J	Fluorescence at the J-step (2 ms) of OJIP
F_1	Fluorescence at the I-step (30 ms) of OJIP
F _P	Maximal recorded (equal to maximal possible)
	fluorescence, at the peak <i>P</i> of OJIP
Fluorescence parameters derived from the ext	
$F_0 = F_{20\mu s}$	Minimal fluorescence, when all PS II RCs are open
$F_{\rm P} (F_{\rm M})$	Maximal fluorescence, when all PS II RCs are closed
$F_{\rm U} = F_{\rm t} - F_{\rm 0}$	Variable fluorescence at time <i>t</i>
$F_V = F_M - F_0$	Maximal variable fluorescence
$V_{t} = (F_{t} - F_{0})/(F_{M} - F_{0})$	Relative variable fluorescence at time <i>t</i>
$V_{\rm J} = (F_{\rm J} - F_{\rm 0})/(F_{\rm M} - F_{\rm 0})$	Relative variable fluorescence at the J-step
$V_{\rm I} = (F_{\rm I} - F_{\rm 0})/(F_{\rm M} - F_{\rm 0})$	Relative variable fluorescence at the I-step
$M_0 = [(\Delta F / \Delta t)_0] / (F_M - F_{50 \ \mu s})$	Approximated initial slope (in ms ⁻¹) of the
$= 4(F_{300 \ \mu s} - F_{50 \ \mu s})/(F_{\rm M} - F_{50 \ \mu s})$	fluorescence transient normalised on the maximal
(1 300 μs 1 50 μs) (1 M 1 50 μs)	variable fluorescence F_V
Specific energy fluxes (per QA-reducing PSII ı	
$ABS/RC = M_0 (1/V_J) (1/\varphi_{Po})$	Absorption flux per RC
$TR_0/RC = M_0 (1/V_J)$	Trapped energy flux per RC
$ET_0/RC = M_0 (1/V_J)\psi_{Eo}$	Electron transport flux per RC
$RE_0/RC = M_0 (1/V_J)\psi_{Eo} \delta_{Ro}$	Electron flux reducing end electron acceptors at
	the PSI acceptor side, per RC
Yields or flux ratios	
$\varphi_{\rm Po} = {\rm TR}_0 / {\rm ABS} = [1 - (F_0 / F_{\rm M})]$	Maximum quantum yield of primary photochemistry
$\psi_{Eo} = ET_0/TR_0 = (1 - V_J)$	Efficiency of a trapped exciton to move an electron
	into the electron transport chain further than Q_A^-
$\varphi_{Eo} = ET_0/ABS = [1 - (F_0 / F_M)]\psi_{Eo}$	Quantum yield of electron transport at time zero
$\frac{\phi_{\rm E_0}}{\delta_{\rm R_0}} = {\rm RE_0/{\rm ET_0}} = (1 - V_{\rm I})/(1 - V_{\rm J})$	Efficiency/probability with which an electron from the
$\nabla_{\mathbf{K}0}$ $(\nabla_{\mathbf{U}}) = (\nabla_{\mathbf{U}}) (\nabla_{\mathbf{U})} (\nabla_{\mathbf{U}}) (\nabla_{\mathbf{U}}) (\nabla_{\mathbf{U}}) (\nabla_{$	intersystem electron carriers is transferred to reduce
	end electron acceptors at the PSI acceptor side (RE)
$\delta_{\text{Ro}} = \text{RE}_0/\text{ABS} = [1 - (F_0/F_m)](1 - V_1)$	Quantum yield for reduction of end electron acceptor
	at the PSI acceptor side (RE)
$\gamma_{\rm RC}$ = Chl _{RC} /Chl _{total} = RC/(ABS + RC)	Probability that a PSII ChI molecule functions as RC
$\frac{\varphi_{RC} - O(RC)O(RO)}{RC/ABS} = \frac{\varphi_{RC}}{1 - \varphi_{RC}} = \frac{\varphi_{PO}}{\varphi_{PO}} (V_J/M_0)$	Q_A -reducing RCs per PSII antenna Chl (reciprocal of
	ABS/RC)
Performance indexes	
$PI_{ABS} = [\gamma_{RC}/(1 - \gamma_{RC})] \cdot [\varphi_{Po}/(1 - \varphi_{Po})] \cdot [\psi_{Eo}/(1 - \psi_{Eo})]$	
	from exciton to the reduction of intersystem electron
	acceptors
$PI_{total} = PI_{ABS} \cdot [\delta_{Ro}/(1 - \delta_{Ro})]$	Performance index (potential) for energy conservatio
	from exciton to the reduction of PSI end acceptors